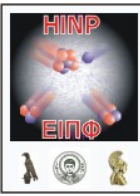




IEAP CTU in Prague



Constraints for the X17 boson from compact objects observations

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Outline

1. Motivation
2. Equation of States (EoS's)
Nuclear Theories - Models
 - i. Relativistic Mean Field (RMF) theory
 - ii. Momentum Dependent Interaction (MDI) model
 - iii. Color Flavor Locked (CFL) model for Quark Stars (QS's)
3. Concluding remarks
4. Collaborators

Motivation

We wanted to investigate the hypothetical X17 boson on:

- a) Neutron Stars
- b) Quark Stars (QSs)

using various hadronic Equation of States (EoS's) with phenomenological or microscopic origin.

Special attention on two main phenomenological parameters of the X17 boson:

- c) The **coupling constant g** that it has with hadrons or quarks
- d) The **in-medium effects regulator C**

To set realistic constraints with respect to:

- e) Causality
- f) Various (possible) upper mass limits
- g) Dimensionless tidal deformability

Motivation

Non-Newtonian Gravity model

$$V(r) = -\frac{Gm_1m_2}{r} \left(1 + \alpha_G e^{-r/\lambda}\right) = V_N(r) + V_Y(r)$$
$$\alpha_G = \pm \frac{g^2 \hbar c}{4\pi G m_b^2}, \quad \lambda = \frac{\hbar}{\mu c}$$

g^2/μ^2

λ represents the range of the Yukawa force mediated by the exchange of a boson with mass μ

\pm sign refers to **scalar(+)** and **vector(-)** boson
 g is the boson-baryon coupling constant
 m_b is the baryon mass

Weakly Interacting Light Boson (WILB)

- Theories BSM include a number of new particles, some of which might be light and weakly coupled to ordinary matter.
- Such particles affect the EoS's of nuclear matter and can shift admissible masses of neutron stars to higher values.
- Then the internal structure of neutron stars is modified provided the ratio between coupling strength and mass squared of a weakly interacting light boson (WILB)

Equation of States (EoS's) and in-medium scaling

$$\mathcal{E} = \frac{(\hbar c)^3 g_V^2}{2(m_\nu c^2)^2} n_b^2 + \frac{(\hbar c)^3 \left(\frac{g_\sigma}{2}\right)^2}{2(m_\rho c^2)^2} \rho_I^2 + \frac{(m_s c^2)^2}{2g_s^2 (\hbar c)^3} (m_b c^2 - m_b^* c^2)^2$$

$$+ \frac{\kappa}{6g_s^3} (m_b c^2 - m_b^* c^2)^3 + \frac{\lambda}{24g_s^4} (m_b c^2 - m_b^* c^2)^4$$

$$+ \sum_{i=n,p} \frac{\gamma}{(2\pi)^3} \int_0^{k_{F_i}} 4\pi k^2 \sqrt{(\hbar c k)^2 + (m_i^* c^2)^2} dk \quad \mathbf{1}$$

$$P = \frac{(\hbar c)^3 g_V^2}{2(m_\nu c^2)^2} n_b^2 + \frac{(\hbar c)^3 \left(\frac{g_\sigma}{2}\right)^2}{2(m_\rho c^2)^2} \rho_I^2 - \frac{(m_s c^2)^2}{2g_s^2 (\hbar c)^3} (m_b c^2 - m_b^* c^2)^2$$

$$+ \frac{\kappa}{6g_s^3} (m_b c^2 - m_b^* c^2)^3 + \frac{\lambda}{24g_s^4} (m_b c^2 - m_b^* c^2)^4$$

$$+ \sum_{i=n,p} \frac{1}{3} \frac{\gamma}{(2\pi)^3} \int_0^{k_{F_i}} \frac{4\pi k^2}{\sqrt{(\hbar c k)^2 + (m_i^* c^2)^2}} dk \quad \mathbf{2}$$

RMF Theory

$$m_\nu^{*2} = a_X^2 m_X^2 + (1 - a_X)^2 m_\omega^2 \quad \mathbf{3}$$

The energy density and the pressure of the **WILB** ($\mu = m_B$) in neutron star matter are given by:

$$\mathcal{E}_B = \pm \frac{(\hbar c)^3}{2} \left(\frac{g}{m_B c^2} \right)^2 n_b^2 \quad \mathbf{5}$$

$$P_B = \frac{(\hbar c)^3}{2} \left(\frac{g}{m_B c^2} \right)^2 n_b^2 \left(1 - \frac{2n_b}{m_B c^2} \frac{\partial(m_B c^2)}{\partial n_b} \right) \quad \mathbf{6}$$

$$\mathcal{E} = \mathcal{E}_{\text{bar}} \pm \mathcal{E}_B, \quad P = P_{\text{bar}} \pm P_B \quad \mathbf{7}$$

According to Brown & Rho, the in-medium modification follows the linear scaling:

$$m_B^* \equiv m_B \left(1 - C \frac{n_b}{n_0} \right) \text{ (MeV)} \quad \mathbf{8}$$

MDI model

$$\mathcal{E}(u, I) = \frac{3}{10} E_F^0 n_0 \left[(1+I)^{5/3} + (1-I)^{5/3} \right] u^{5/3}$$

$$+ \frac{1}{3} \mathcal{A} n_0 \left[\frac{3}{2} - \left(\frac{1}{2} + x_0 \right) I^2 \right] u^2$$

$$+ \frac{\frac{2}{3} \mathcal{B} n_0 \left[\frac{3}{2} - \left(\frac{1}{2} + x_3 \right) I^2 \right] u^{\sigma+1}}{1 + \frac{2}{3} \mathcal{B}' n_0 \left[\frac{3}{2} - \left(\frac{1}{2} + x_3 \right) I^2 \right] u^{\sigma-1}}$$

$$+ u \sum_{i=1,2} \left[C_i (\mathcal{J}_n^i + \mathcal{J}_p^i) + \frac{(C_i - 8Z_i)}{5} I (\mathcal{J}_n^i - \mathcal{J}_p^i) \right] \quad \mathbf{4}$$

We consider that the coupling **g** varies in the interval $[10^{-3} - 2.2 \times 10^{-2}]$ which corresponds (for 17 MeV) to the interval for $\mathbf{g^2/m_B^2} \rightarrow [3.5 \times 10^{-3} - 1.7] \text{ GeV}^{-2}$

Equation of States (EoS's) for Quark Stars

Color - Flavor Locked (CFL) model for Quark Stars

$$P_Q = \frac{3\mu^4}{4\pi^2(\hbar c)^3} - \frac{3(m_s c^2)^2 \mu^2}{4\pi^2(\hbar c)^3} + \frac{3\Delta^2 \mu^2}{\pi^2(\hbar c)^3} - B \quad 9$$

$$\mathcal{E}_Q = \frac{9\mu^4}{4\pi^2(\hbar c)^3} - \frac{3(m_s c^2)^2 \mu^2}{4\pi^2(\hbar c)^3} + \frac{3\Delta^2 \mu^2}{\pi^2(\hbar c)^3} + B \quad 10$$

$$\mathcal{E}_B = \pm \frac{9(\hbar c)^3}{2} \left(\frac{g}{m_{BC} c^2} \right)^2 n_b^2 \quad 14$$

$$\mathcal{E} = \mathcal{E}_Q \pm \mathcal{E}_B, \quad P = P_Q \pm P_B \quad 15$$

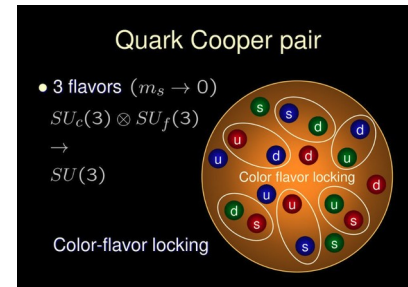
$$n_b = \frac{\mu^3}{\pi^2(\hbar c)^3} - \frac{(m_s c^2)^2 \mu}{2\pi^2(\hbar c)^3} + \frac{2\Delta^2 \mu}{\pi^2(\hbar c)^3} = \frac{\mu^3}{\pi^2(\hbar c)^3} + \frac{3\mu\alpha}{\pi^2(\hbar c)^3} \quad 11$$

$$\mu^2 = -3\alpha + \sqrt{9\alpha^2 + \frac{4}{3}\pi^2(P_Q + B)(\hbar c)^3} \quad 12$$

$$\alpha = -\frac{(m_s c^2)^2}{6} + \frac{2\Delta^2}{3} \quad 13$$

In very high density, the mass of the strange quark is negligible compared to the baryonic chemical potential, leading to the same density of the three flavors of u, d and s quarks.

A. R. Bodmer, Phys. Rev. D 4, 1601 (1971)
E. Witten, Phys. Rev. D 30, 272 (1984)



G. Lugones and J.E. Horvath, "Color-flavor locked strange matter", Phys.Rev. D 66, 074017, (2002). doi: [10.1103/PhysRevD.66.074017](https://doi.org/10.1103/PhysRevD.66.074017)

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Shu-Hua Yang, Chun-Mei Pi, Xiao-Ping Zheng, and Fridolin Weber, "Constraints from compact star observations on non-Newtonian gravity in strange stars based on a density dependent quark mass model", Phys. Rev. D 103, 043012 (2021). doi: [10.1103/PhysRevD.103.043012](https://doi.org/10.1103/PhysRevD.103.043012)

Shu-Hua Yang, Chun-Mei Pi, Xiao-Ping. Zheng, and F. Weber, "Confronting Strange Stars with Compact-Star Observations and New Physics", Universe 9, 202, (2023). doi: [10.3390/universe9050202](https://doi.org/10.3390/universe9050202)

Nuclear Models – RMF theory

EoS	g_p^*	g_v	g_s	m_s [MeV]	κ [MeV]	λ
E1	+5%	7.61	6.78	406.6	19.0	-60.0
E2	+5%	8.00	6.76	391.4	17.0	-63.3
E3	+5%	8.00	7.03	405.6	19.5	-80.0
E4	+10%	7.23	7.27	451.9	25.0	-33.3
E5	+10%	7.23	7.27	451.9	25.5	-46.7
E6	+10%	7.23	7.51	467.0	28.5	-56.7
E7	+10%	7.61	7.03	421.7	21.0	-60.0
E8	+10%	7.61	7.03	421.7	21.5	-73.3

Soft EoS

$$\alpha_x = 20\%$$

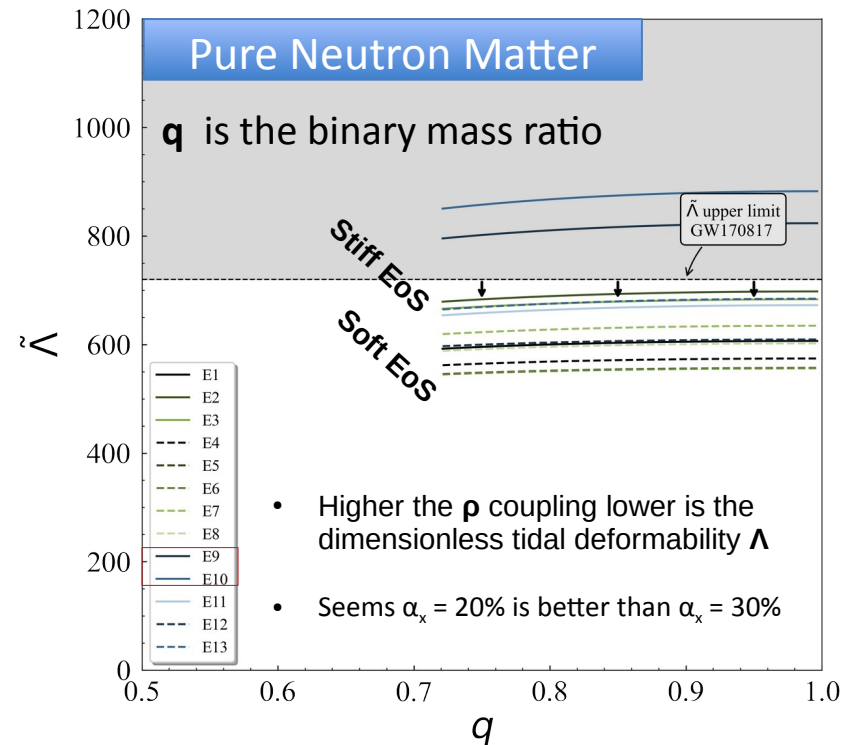
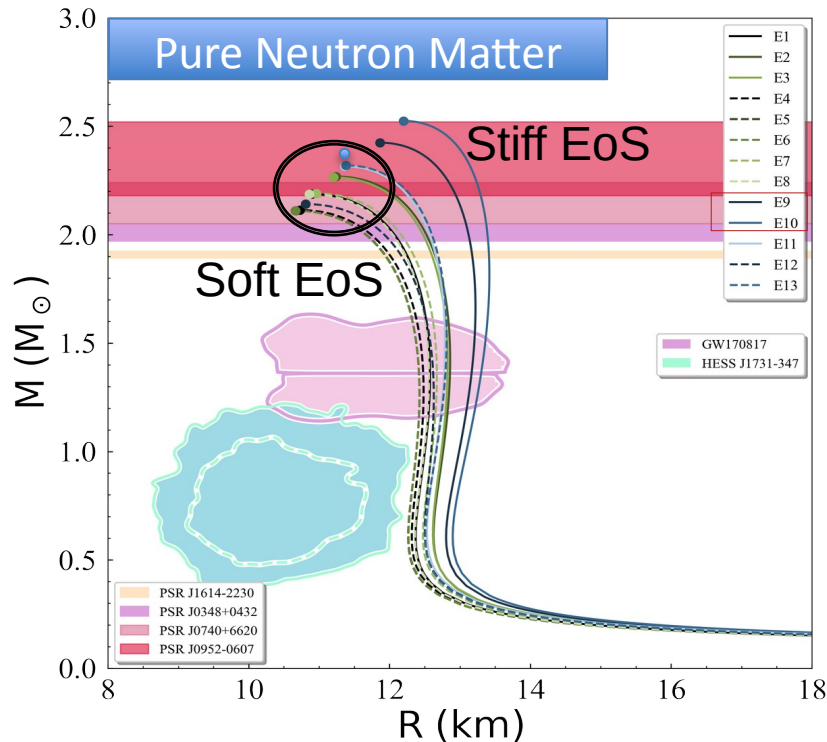
$$m_v^* = 626 \text{ MeV}$$

EoS	g_p^*	g_v	g_s	m_s [MeV]	κ [MeV]	λ
E9	+5%	7.61	8.08	451.9	19.0	-103.3
E10	+5%	8.00	8.35	451.9	18.5	-123.3
E11	+5%	7.23	8.33	482.2	26.0	-150.0
E12	+10%	6.47	5.77	346.1	14.5	-33.3
E13	+10%	7.23	8.07	467.0	23.0	-123.3

Stiff EoS

$$\alpha_x = 30\%$$

$$m_v^* = 547.8 \text{ MeV}$$



Nuclear Models – RMF theory

EoS	g_p^*	g_v	g_s	m_s [MeV]	κ [MeV]	λ
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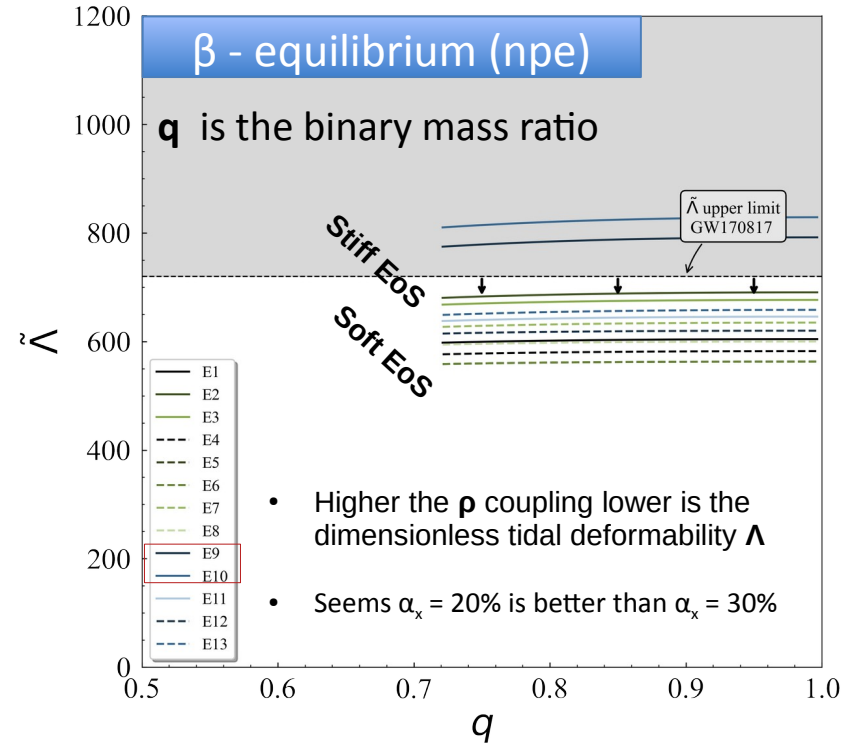
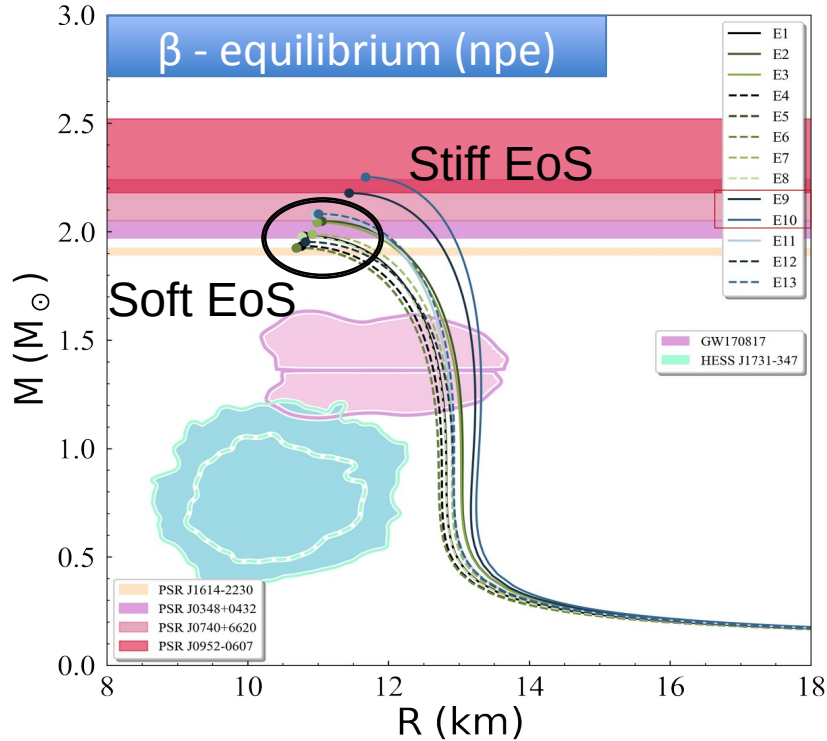
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Stiff EoS

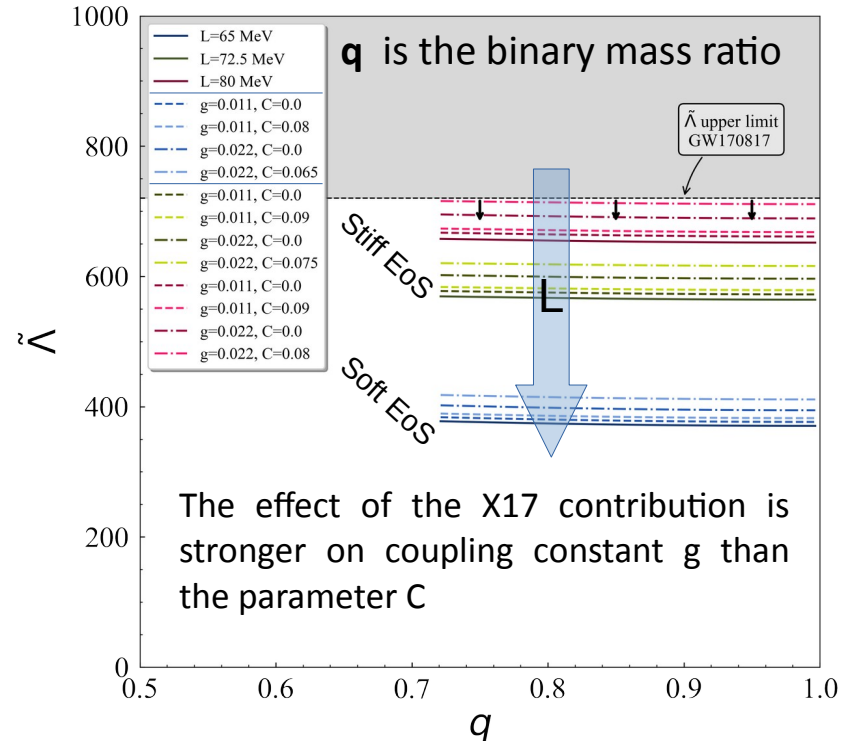
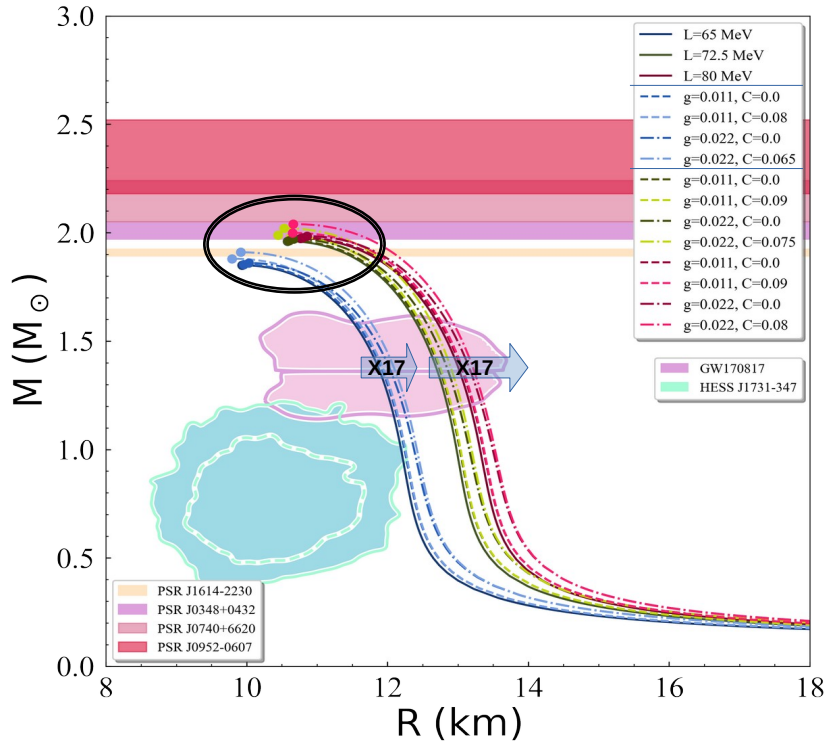
$$\alpha_x = 30\%$$

$$m_v^* = 547.8 \text{ MeV}$$



Nuclear Models – MDI model

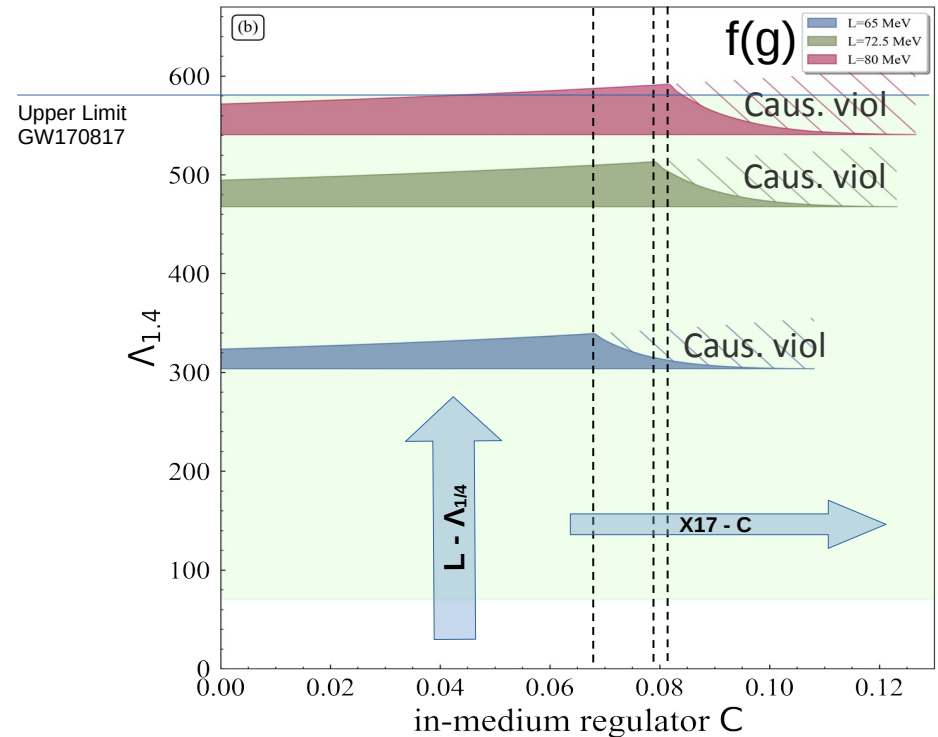
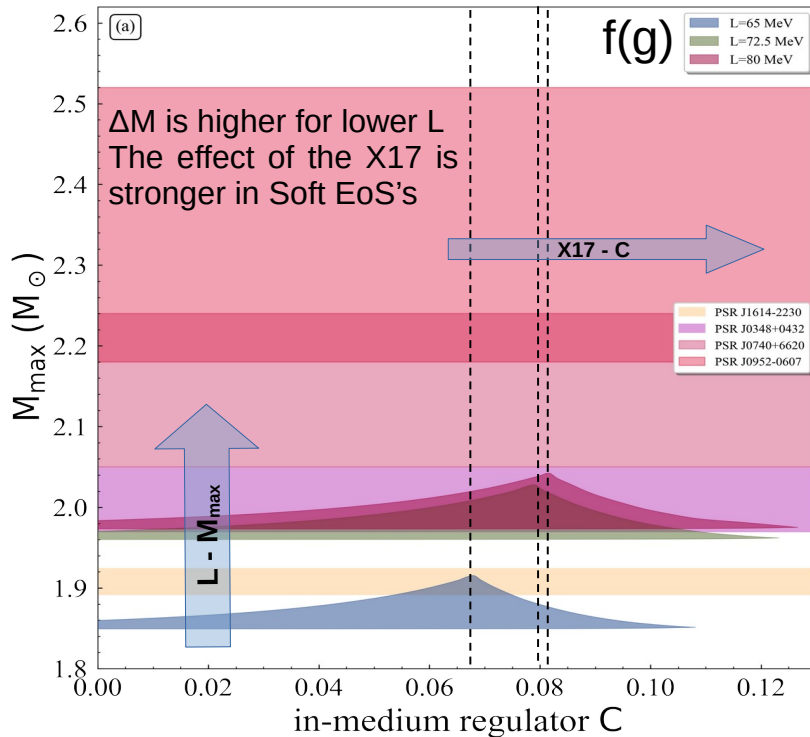
- Solid curves correspond to the 3 initial EoS's without the X17 boson $L \Rightarrow$ slope parameter of nuclear symmetry energy
- Dashed and dash-dotted curves correspond to the EoS's with the X17 boson for $g = 0.011$ and $g = 0.022$
- All combinations resulting Max mass < 2 Solar Masses and in a good agreement with LIGO/VIRGO data



Nuclear Models – MDI model

- The "shark-fin" shaded region arises from the constraints that the non-violation of causality implies on the C_{\max}
- The peaks corresponding to the pair of values for each one of the 3 set EoS's ($g = 0.022$ and $C = C_{\max}$) High X17 Contribution

L is the slope parameter of nuclear symmetry energy



Nuclear Models – MDI model

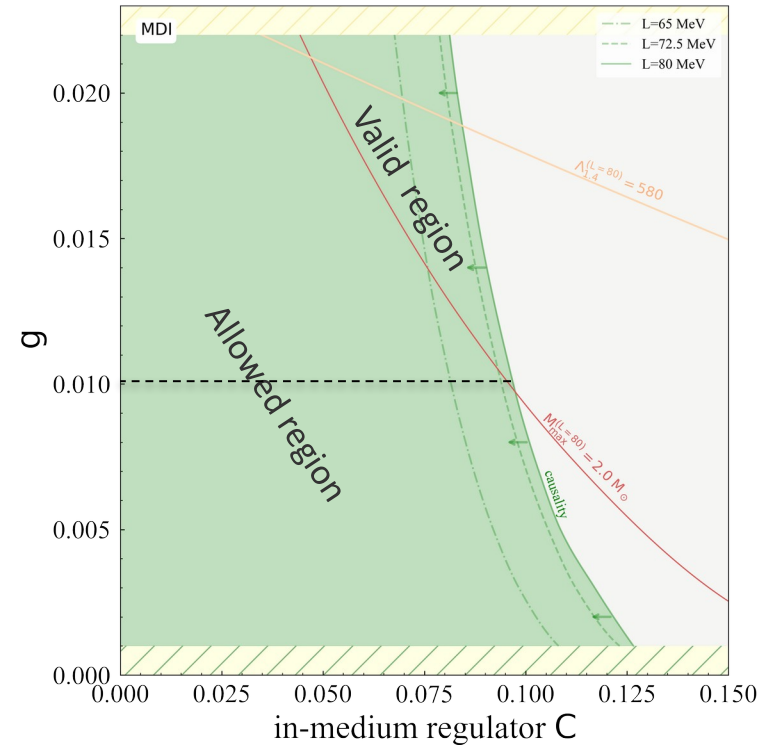
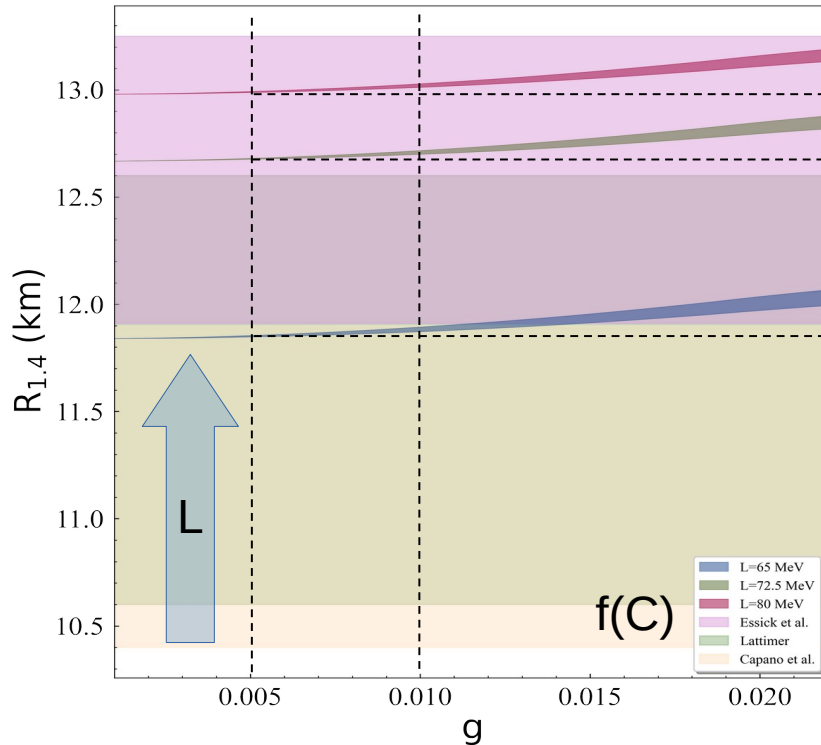
Region constraints and non-violation of causality:

- Shaded thin inclined curves represent regions for 3 set EoS's
- The effect starts at $g > 0.005$ continues $g > 0.010$ ($C = C_{max}$)

L is the slope parameter of nuclear symmetry energy

Causality constraints for g and C for three EoS's:

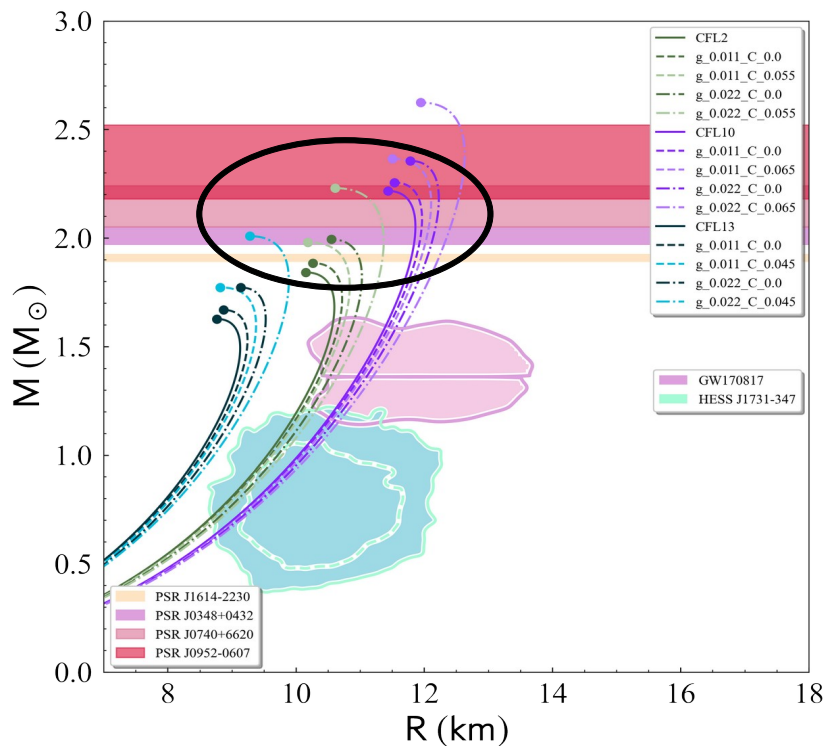
- Possible upper mass limit 2 Solar masses



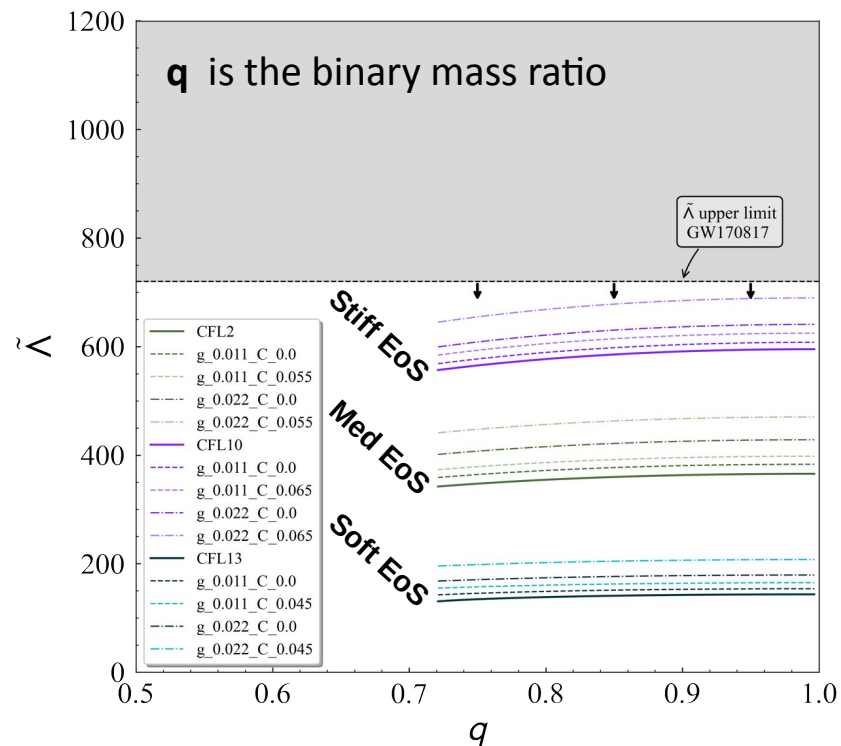
Color Flavor Locked (CFL) model - Quark Stars

3 different parametrization sets of EoS's

- Soft (CFL13)
- Medium (CFL2)
- Stiff (CFL10)

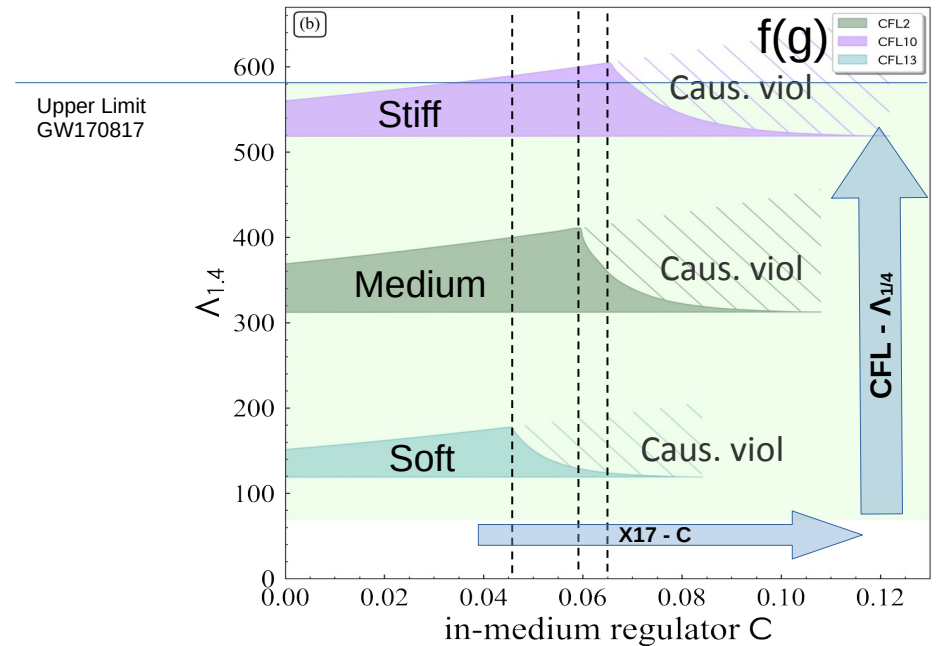
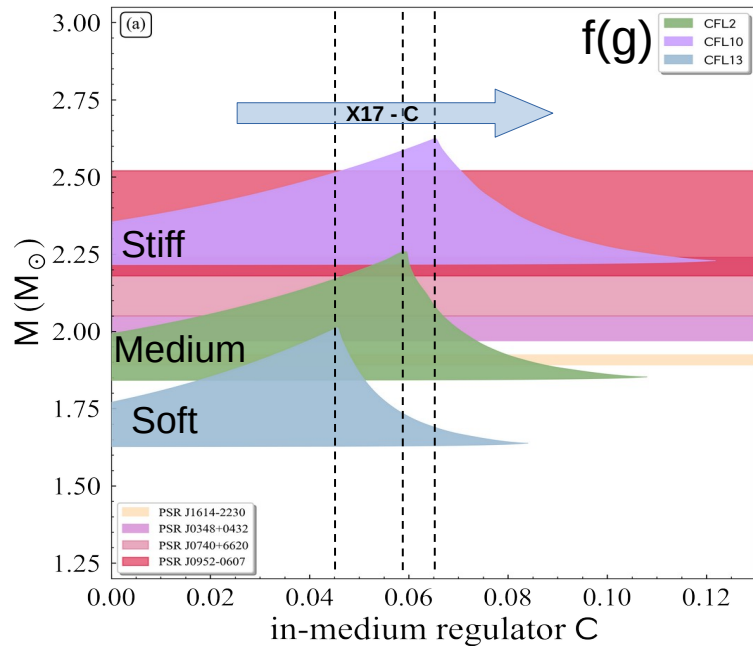


The effect of the X17 contribution is stronger on coupling constant g than the parameter C



Color Flavor Locked (CFL) model - Quark Stars

- The **"shark-fin"** shaded region arises from the constraints that the non-violation of causality implies on the C_{\max}
- The peaks corresponding to the pair of values for each one of the 3 set EoS's ($g = 0.022$ and $C = C_{\max}$) High X17 Contribution



Color Flavor Locked (CFL) model - Quark Stars

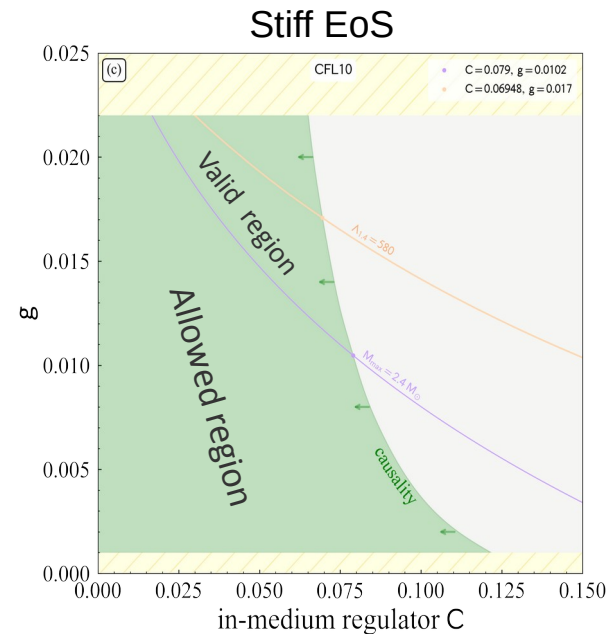
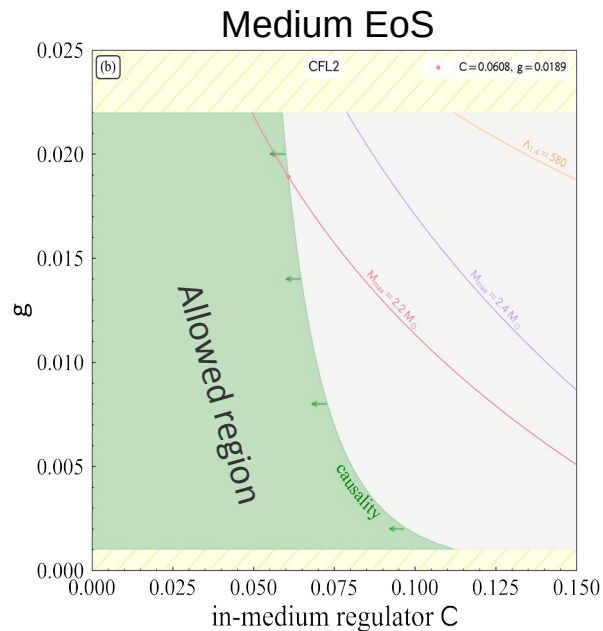
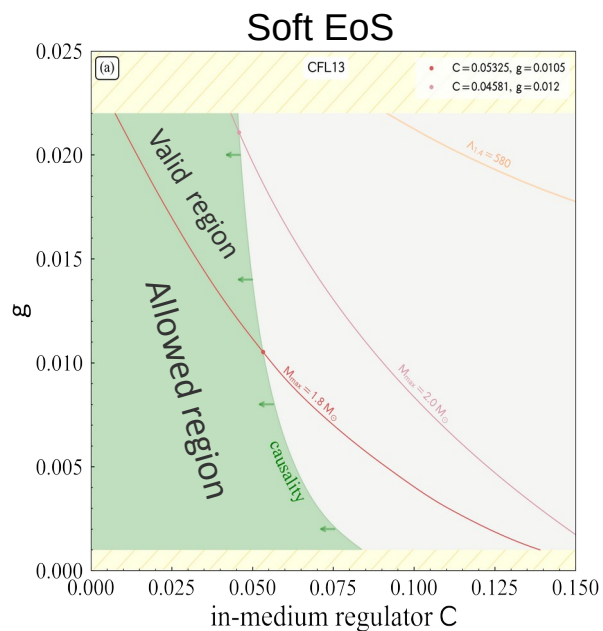
Causality constraints for **g** and **C** for three EoS's

- Possible mass limits:

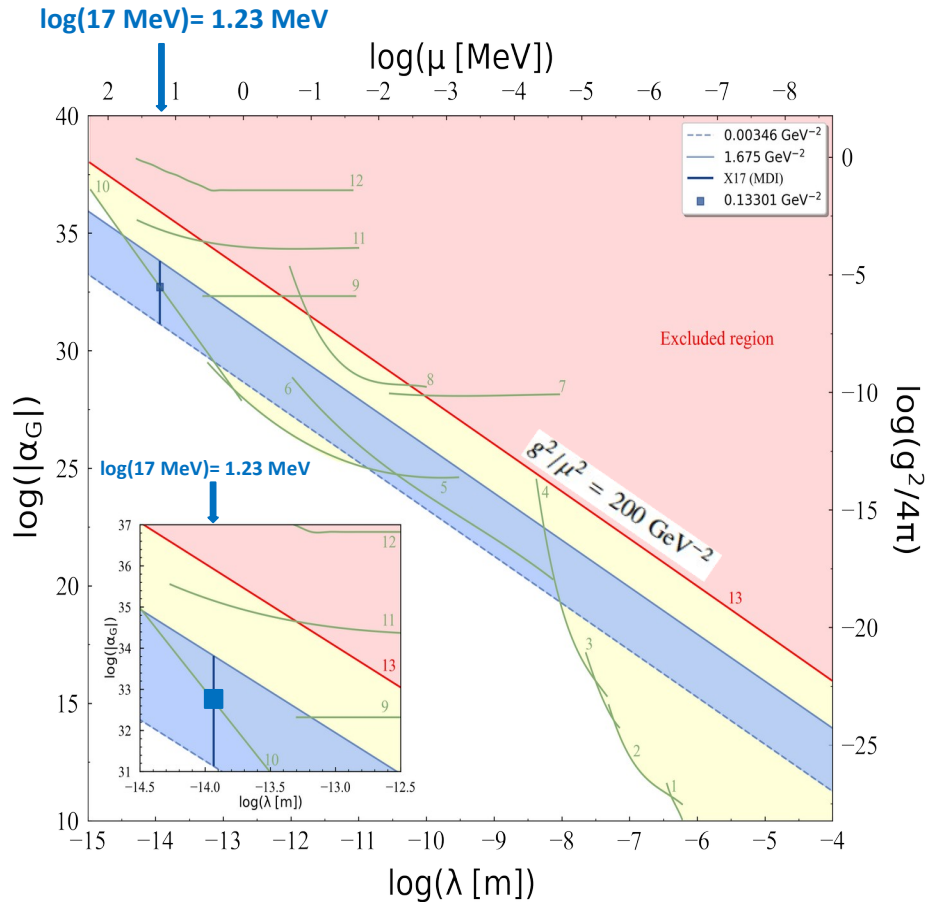
1.8 Solar Masses (CFL13 Soft)

2.2 Solar Masses (CFL2 Medium)

2.4 Solar Masses (CFL10 Stiff)



Concluding Remarks (MDI model)



- Specific range for the X17 boson in the MDI model is shown with **blue vertical line** among constraints from different experiments.
- The **square blue dot** indicate the constraints on the X17 boson settled by the experiment of low-energy $n - {}^{208}\text{Pb}$ scattering (number 10).
- The extrapolation of our settled constraints to other masses indicated by the **blue-shaded band**.

Concluding Remarks

- We payed attention on two main phenomenological parameters of the hypothetical X17 boson:
 - a) the coupling constant g of its interaction with hadrons or quarks
 - b) the in-medium effects through a regulator C
- Extensive analysis concerning the contribution on the total energy density and pressure of compact objects.
- We suggested that it's possible to provide constraints on these parameters, with respect to causality, various possible upper mass limits and dimensionless tidal deformability.
- We found that stiffer is the EoS (hadronic or quark), the more indiscernible are the effects on the properties of compact objects.
- The effectiveness of the X17 boson in compact objects properties, is more sensitive on the coupling g than the regulator C
- The effects of the hypothetical X17 boson, are more pronounced, in the case of QSs, concerning all the bulk properties.
- It will be possible from both terrestrial and astrophysical observations, to make the best possible estimate of the properties concerning the WILB particles.

Collaborators

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J. Leja³

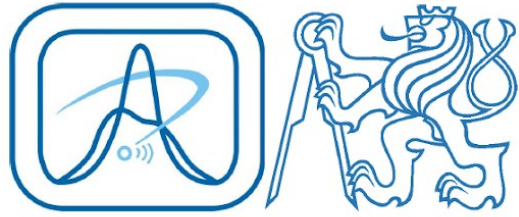


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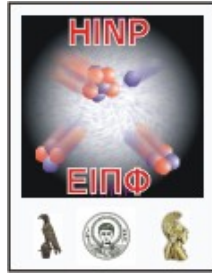
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Thank you

